## Analyzing right-handed neutrino dark matter with electron recoil

events



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#### Planck Collaboration 2018

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- Circular velocity <u>curves</u>
- Dispersion velocity curves
- Gravitational lensing
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Astronomy can help us understand more about dark matter!

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We will adopt as DM candidate a *right-handed neutrino* of mass of order keV



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This induces

Which corresponds to But at tree level, right-handed neutrino electron interaction using this coupling is not dominant

 $\left| \mathcal{L} \supset \mathcal{G}_R \left( g_w / \sqrt{2} \right) \left[ \left( U_R^l \right)^{\dagger} U_R^{\nu} \right]^{ll'} \bar{l}_R \gamma^{\mu} N_R^{l'} W_{\mu}^{-} + \text{h.c.} \right]$ 

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This vertex is represented as an effective operator

$$\hat{\mathcal{O}} = \left( U_L^{\nu} U_L^{\ell} \right)^{ll'} \bar{\nu}_L^l \Lambda_{l'}^{\mu} N_R^{l'} A_{\mu} + \text{h.c.}$$



 $N_{\ell}$ Ve Electromagnetic Shakeri et al. (2020), channel JHEP, 2020, 194

Hence, the interaction between a right-handed neutrino and a bounded electron on an atom of the detector will be described by



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Interaction Lagrangian

 $\mathscr{L}_{\text{eff}} = -2\sqrt{2}G_F\left(\left[\bar{N}_e\gamma^{\mu}\mathscr{G}_R P_R u_e\right]\left[\bar{u}_e\gamma_{\mu}P_L\nu_e\right]\right)$ 

Hence, the interaction between a right-handed neutrino and a bounded electron on an atom of the detector will be described by



The squared matrix element is given by

$$\begin{split} M|^{2}(E_{R},q^{2},v) &= \left(\frac{4m_{l}^{2}}{q^{4}}\right) \left(\frac{\alpha^{2}g_{w}^{4}\mathcal{G}_{R}^{2}}{16\pi^{2}}\right) \left(2m_{\chi}m_{\nu} + 2m_{e}E_{R} + m_{\chi}^{2}\right) \\ &\left\{ \left(2C_{1} + C_{0}\right)^{2} \left[m_{e}\left(2m_{e}E_{\chi} + m_{\chi}^{2}\right)\left(E_{\chi} - E_{R}\right)\right] + \left(2C_{2} + C_{0}\right)^{2} \left[m_{e}\left(2m_{\chi}E_{R} + m_{\chi}^{2}\right)\left(E_{\chi} - E_{R}\right)\right] + \left(2C_{1} + C_{0}\right)\left(2C_{2} + C_{0}\right) \left[2m_{e}^{2}\left(E_{\chi}^{2} + E_{R}^{2} - 2E_{\chi}E_{R}\right) + m_{e}m_{\chi}^{2}\left(E_{\chi} - E_{R}\right)\right] \right\} \end{split}$$

$$q^2 = q_\mu q^\mu$$

Using experimental and cosmological constraints it is possible to put an upper bound on the coupling constant

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# We want to study the ionization of atoms due to right-handed neutrino electron interactions



We can apply the Lagrangian described before to model the interaction  $N + e \rightarrow v + e$ 

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The direct interaction ionizes the atom. This constitutes an event and will allow the *events rate* to be defined.

$$\frac{dR_{\rm ion}^{nl}}{dE_R} = \frac{\rho_{\chi}}{128\pi m_{\chi}^3 m_e^2} \int dq \ \frac{q}{E_R} \eta(v_{\rm min}(q, E_R)) |M(q^2)|^2 |f_{\rm ion}^{nl}(E_R, q)|^2$$

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Under the assumption *mv* << *q* 

$$\frac{dR_{\rm ion}^{nl}}{dE_R} = \frac{\rho_{\chi}}{64\pi m_{\chi}^2 m_e^2} \frac{q}{E_R} |f_{\rm ion}^{nl}(k',q)|^2 |M(q^2)|^2.$$

Where q yields

 $q = m_{\chi} + E_B^{nl} - E_R$ 

### **Ionization form factor:**

$$|f_{\rm ion}^{nl}(k',q)|^2 = \frac{4k'^3}{(2\pi)^3} \sum_{l'=0}^{\infty} \sum_{L=|l-l'|}^{l+l'} (2l+1)(2l'+1)(2L+1) \begin{bmatrix} l & l' & L \\ 0 & 0 & 0 \end{bmatrix} \left| \int dr r^2 R_{k'l'}(r) R_{nl}(r) j_L(qr) \right|$$

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Outgoing electron radial wavefunction

Bounded electron radial wavefunction

It does not depend on the nature of the scattering process

# Outgoing radial wavefunctions



k' = 50 keV l' = l m = 200 keV

# Bounded radial wavefunctions



#### Ionization form factor



#### Squared matrix element



When the events rate for each shell is computed, it is possible to calculate the total events rate

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 $\frac{dR_{\rm ion}}{dE_R} = CN_T \sum_{nl} \frac{dR_{\rm ion}^{nl}}{dE_R}$ 

Due to the separate nature of the quantum mechanics and scattering process, each events rate will reflect the behaviour of the ionization form factor

#### Individual and total differential events rate



## **Conclusions:**

- We used the radiative 1 loop decay of a right-handed neutrino as an effective vertex to study DM-*e* inelastic scattering processes.
- We defined a theoretical framework that allow us to compute an observable quantity.
- We developed numerical methods to compute theoretical events rate.

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## Future work:

- To use the efficiencies of different DM detectors to compute the predicted events rate.
- To compute experimental limits on  $\mathscr{G}_r$  vs. *m* plot.